

$$\int dx = \int \pi \left(\frac{r}{h}\right)^2 dx = \int \frac{\pi r^2}{h^2} x^2 dx \int [u_1(x) + u_2(x) + \dots + u_n(x)] dx V$$

$$x^2 \left[\frac{1}{3} + \frac{2}{3} + \frac{5}{3} + \frac{1}{3} \right] = P_n(z_0) = \sum_{k=0}^n a_k z_0^k = 0 \lim_{n \rightarrow \infty} f(x)$$

$$\int f_1(x) dx + C (a+x)^n = \sum_{k=0}^n C_k a^{n-k} x^k \int \left(\sum_{j=1}^n A_j f_j(x) \right) dx$$

$$I_1 = \int \frac{1}{x} dx = \lim_{h \rightarrow 0} \log_a \left(\frac{x+h}{x} \right)^{1/h} = \lim_{h \rightarrow 0} \log_a \frac{1}{x} \left(1 + \frac{h}{x} \right)^{1/h} = \lim_{z \rightarrow 0} \frac{1}{x} \log_a (1+z)$$

$$a_0 + a_1 z + \dots + a_n z^n = \sum_{k=0}^n a_k z^k \quad (a_k \neq 0)$$

$$I_1 = \int \frac{1}{x} dx = z^n - a^n = (z-a)(z^{n-1} + \dots + a)$$

$$P_n(z) = a_0 + a_1 z$$

$$\int \pi f^2(x) dx = \int \pi \left(\frac{r}{h}\right)^2 dx = \int$$

$$\sum_{k=0}^n C_n^k a^{n-k} x^k \int \left(\sum_{j=1}^n A_j f_j(x) \right) dx = \sum_{j=1}^n$$

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(Σ)lkkiem²

$$= \int \frac{\pi r^2}{h^2} x^2 dx \int [u_1(x) + u_2(x) + \dots + u_n(x)] dx V$$

$$I_1 = \int \frac{1}{x} dx = z^n - a^n = (z-a)(z^{n-1} + \dots + a) \lim_{h \rightarrow 0} \log_a \left(\frac{x+h}{x} \right)^{1/h} = \lim_{h \rightarrow 0} \log_a \frac{1}{x} \left(1 + \frac{h}{x} \right)^{1/h}$$

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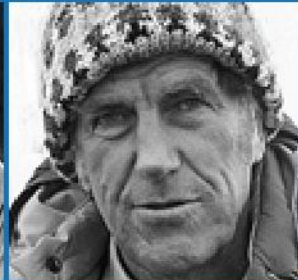
$$\lim_{h \rightarrow 0} \log_a \left(\frac{x+h}{x} \right)^{1/h} = \lim_{h \rightarrow 0} \log_a \frac{1}{x} \left(1 + \frac{h}{x} \right)^{1/h} = \lim_{z \rightarrow 0} \frac{1}{x} \log_a (1+z)$$

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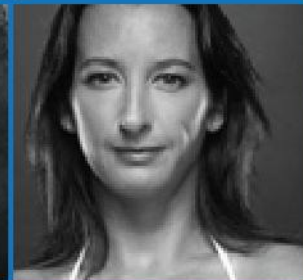


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Nishioka Sensei
Japanese Samurai Master

High Performance Environments

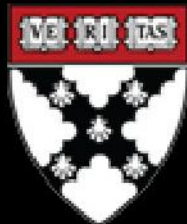
(Σlkiem)²

Juilliard

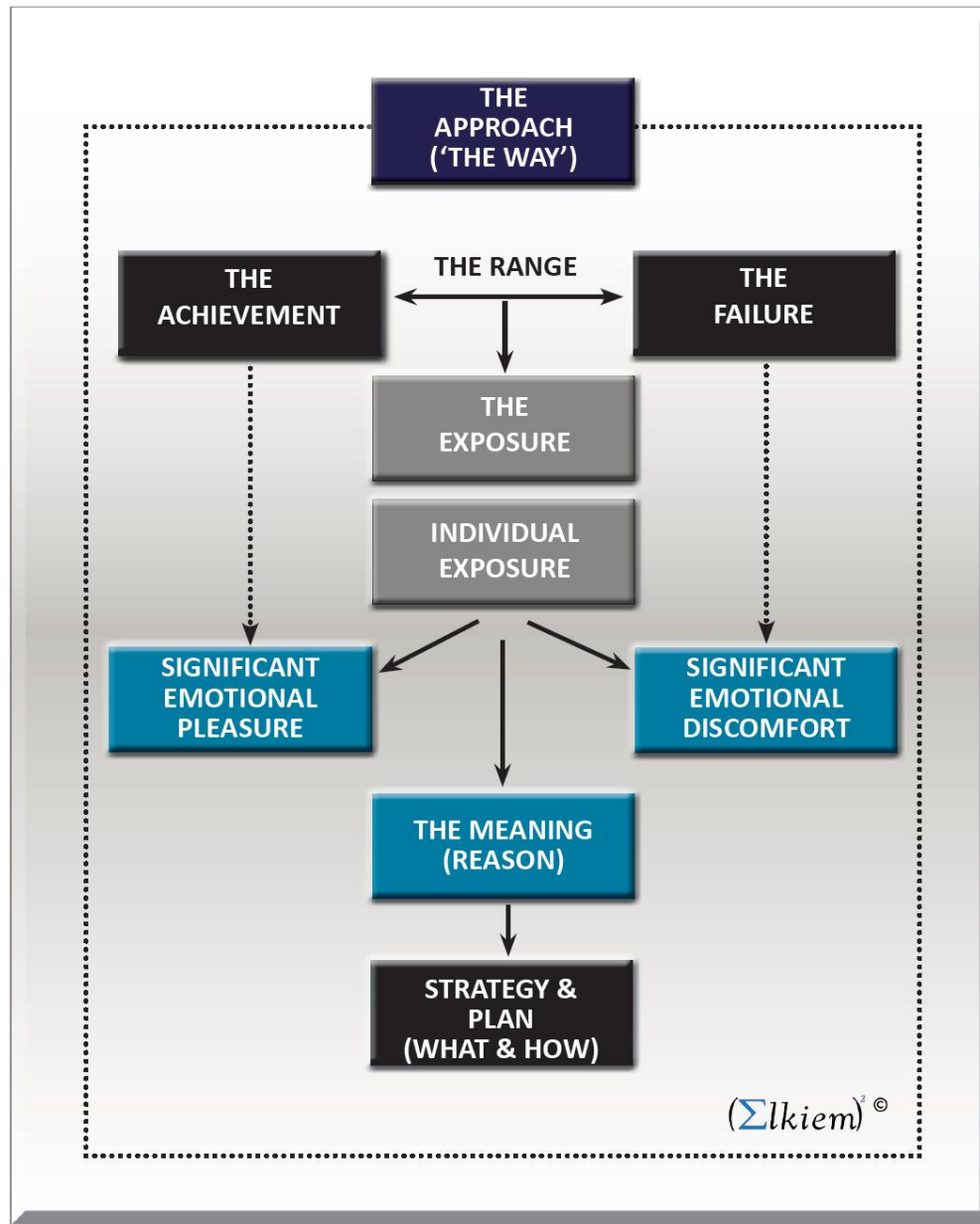
DANCE
DRAMA
MUSIC



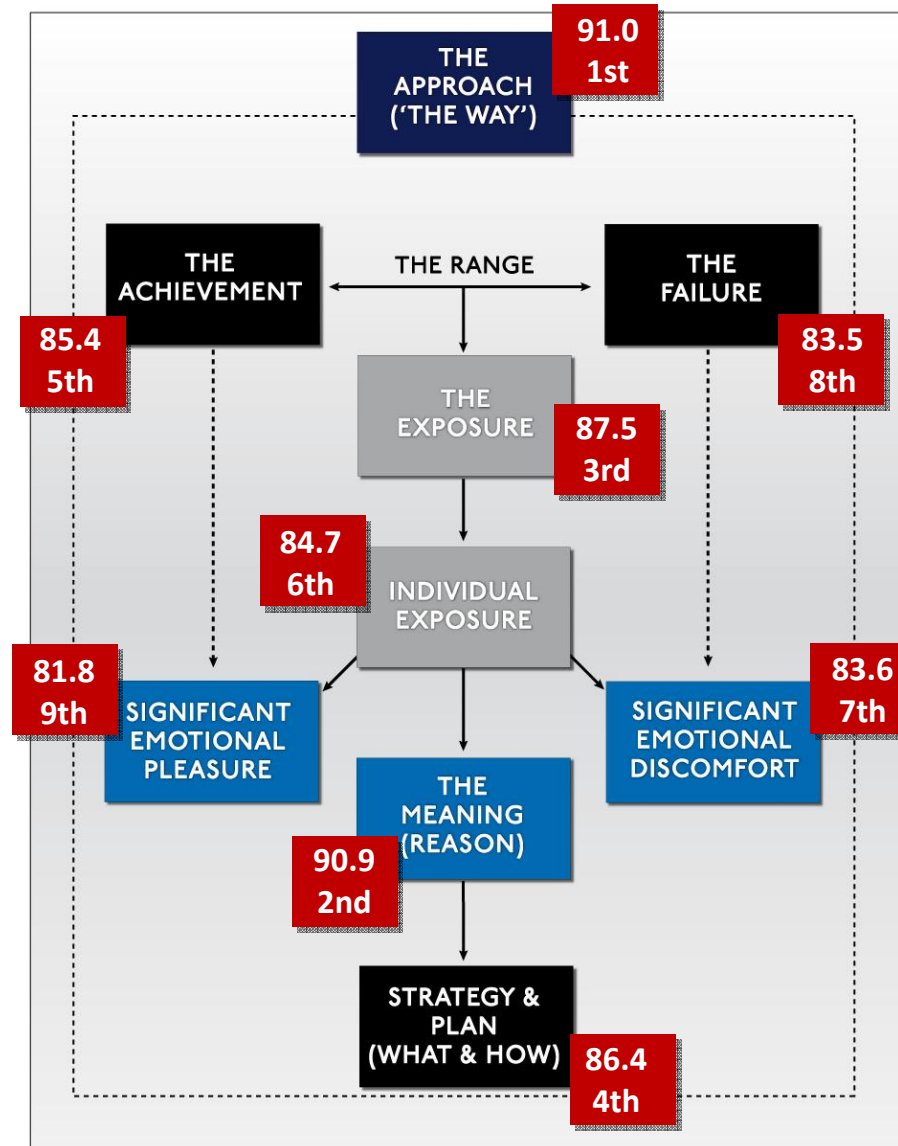
ENGLISH
NATIONAL
BALLET



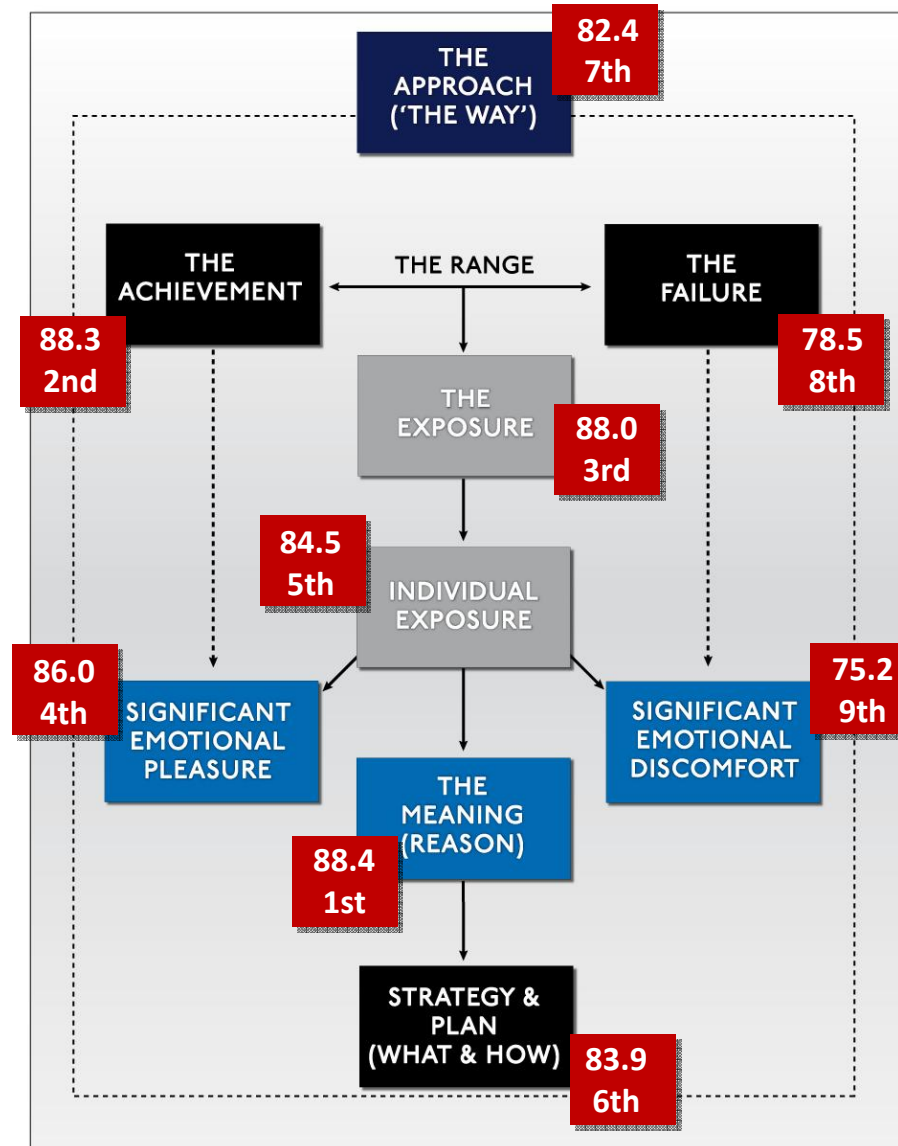
THE HIGH PERFORMANCE ENVIRONMENTAL STRUCTURE



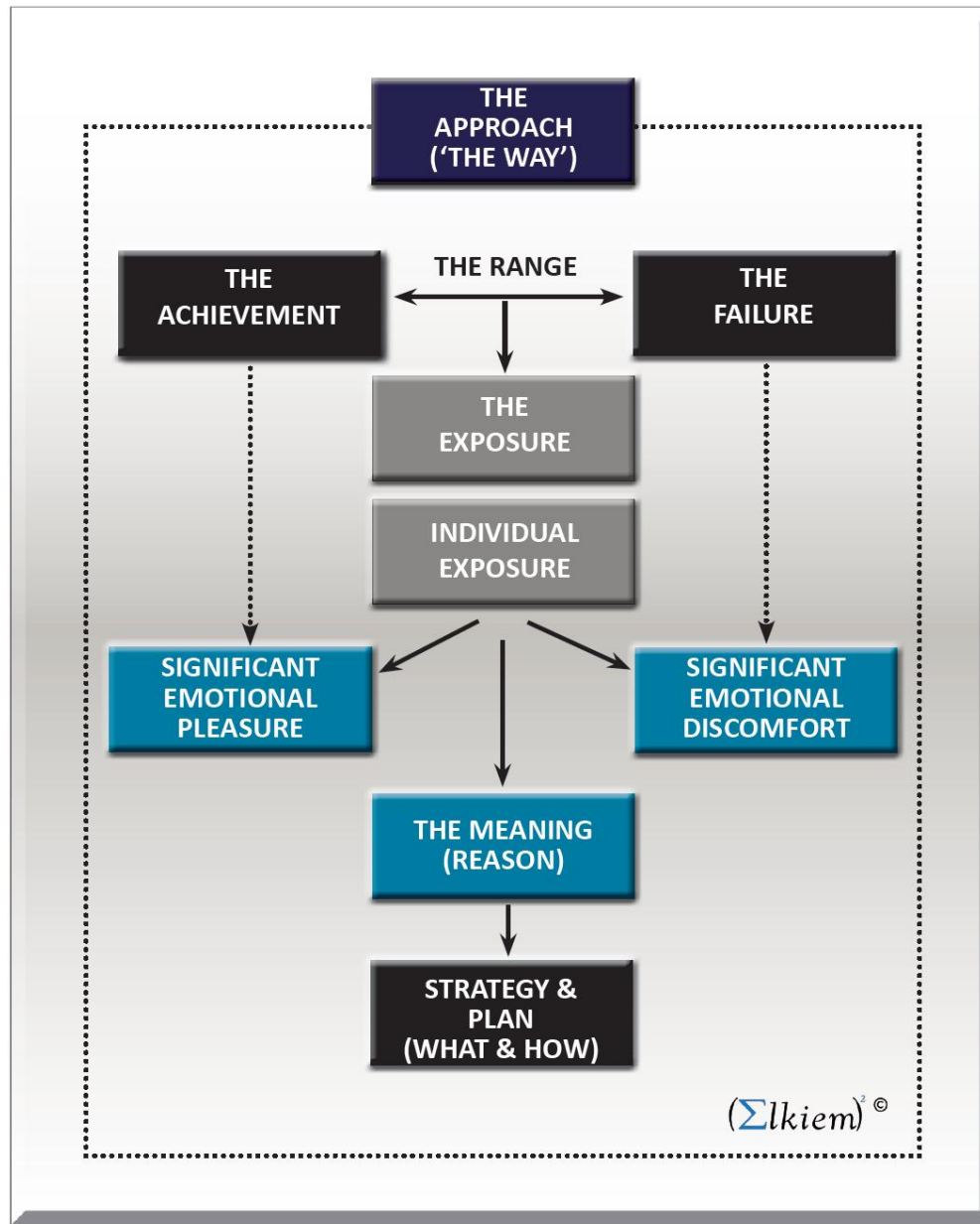
HPES OVERVIEW – MILITARY GENERALS



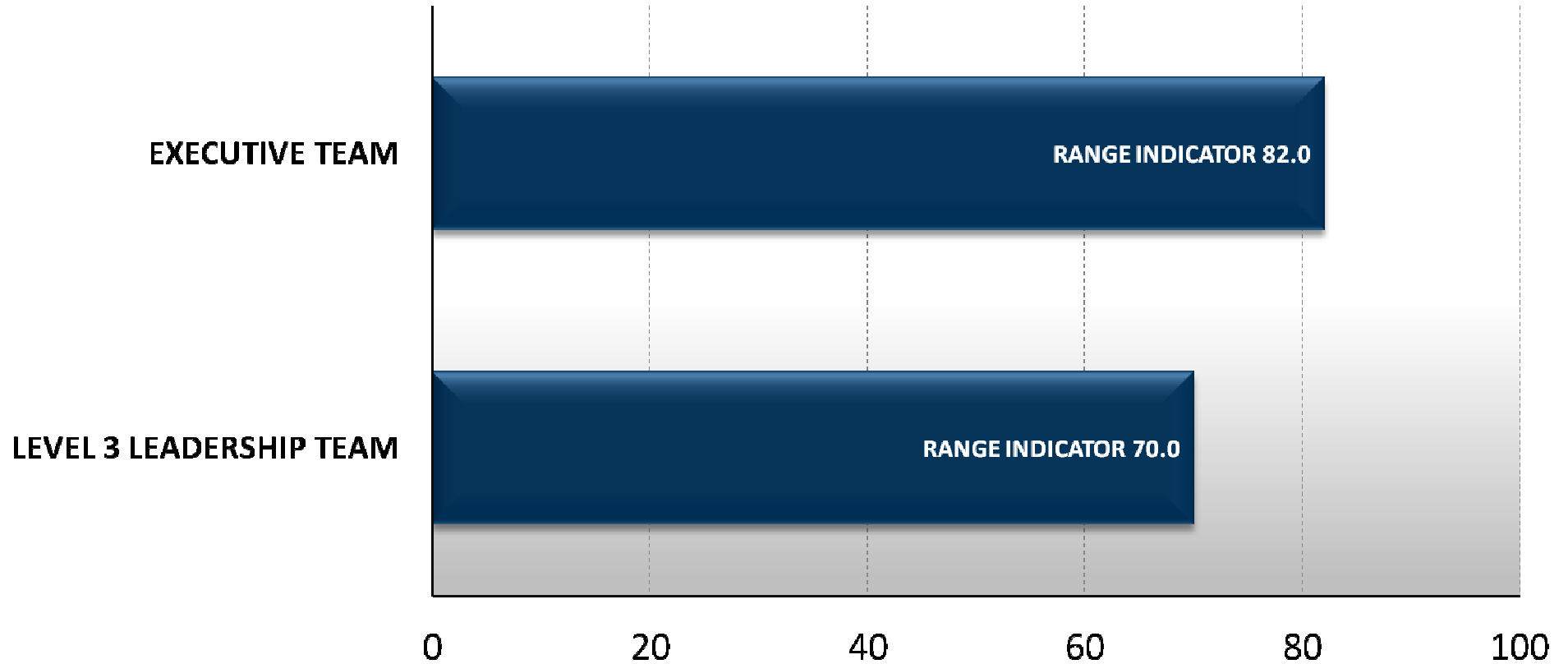
HPES OVERVIEW – OLYMPIC SWIMMERS



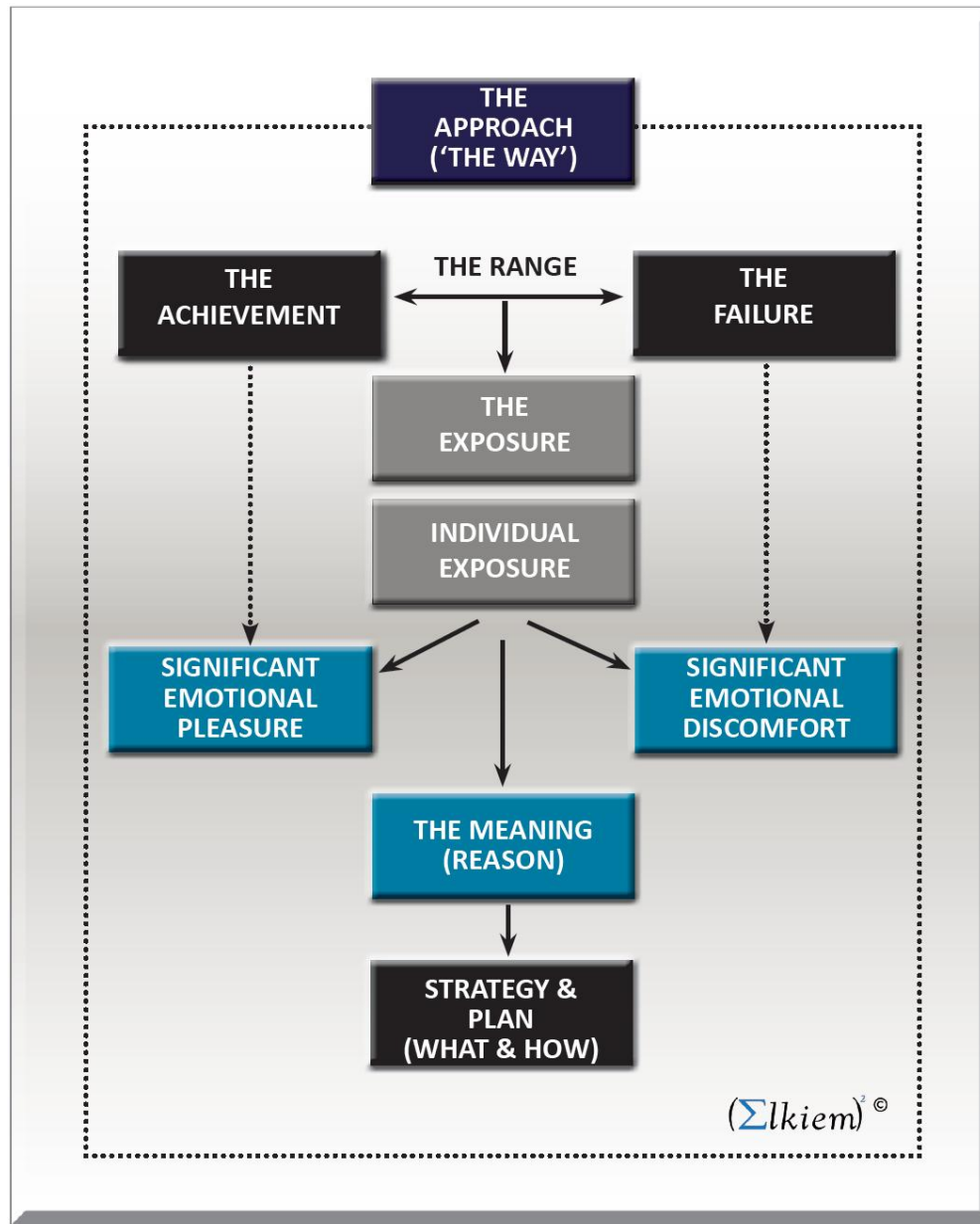
THE HIGH PERFORMANCE ENVIRONMENTAL STRUCTURE



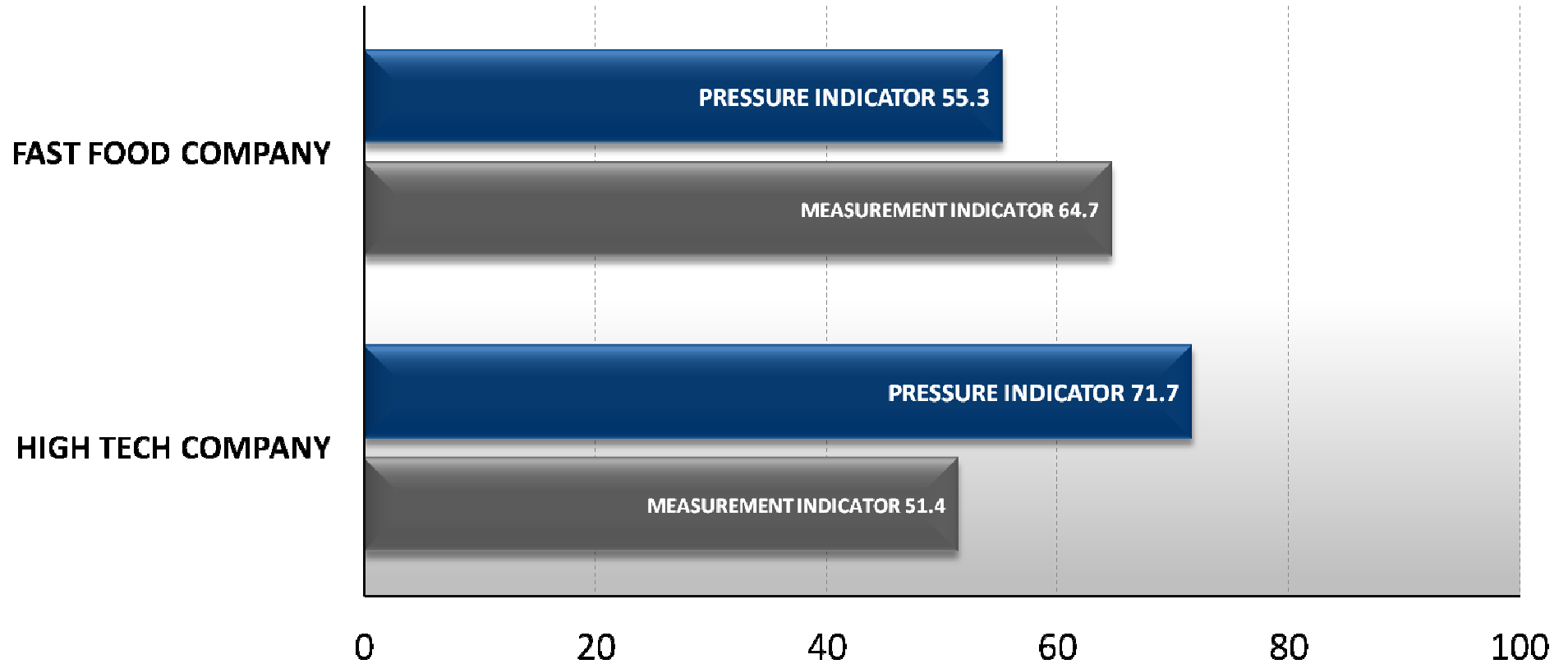
THE RANGE



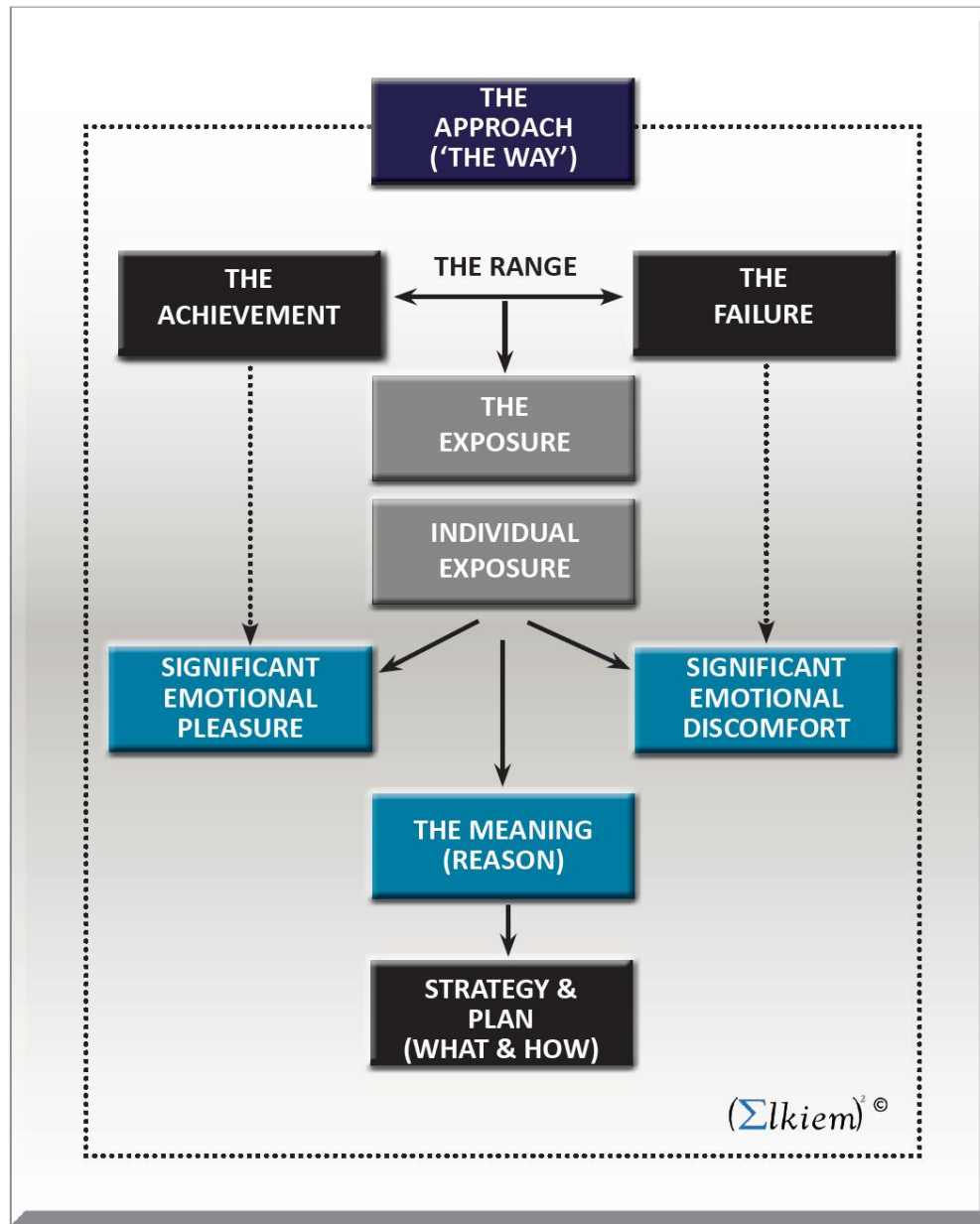
THE HIGH PERFORMANCE ENVIRONMENTAL STRUCTURE



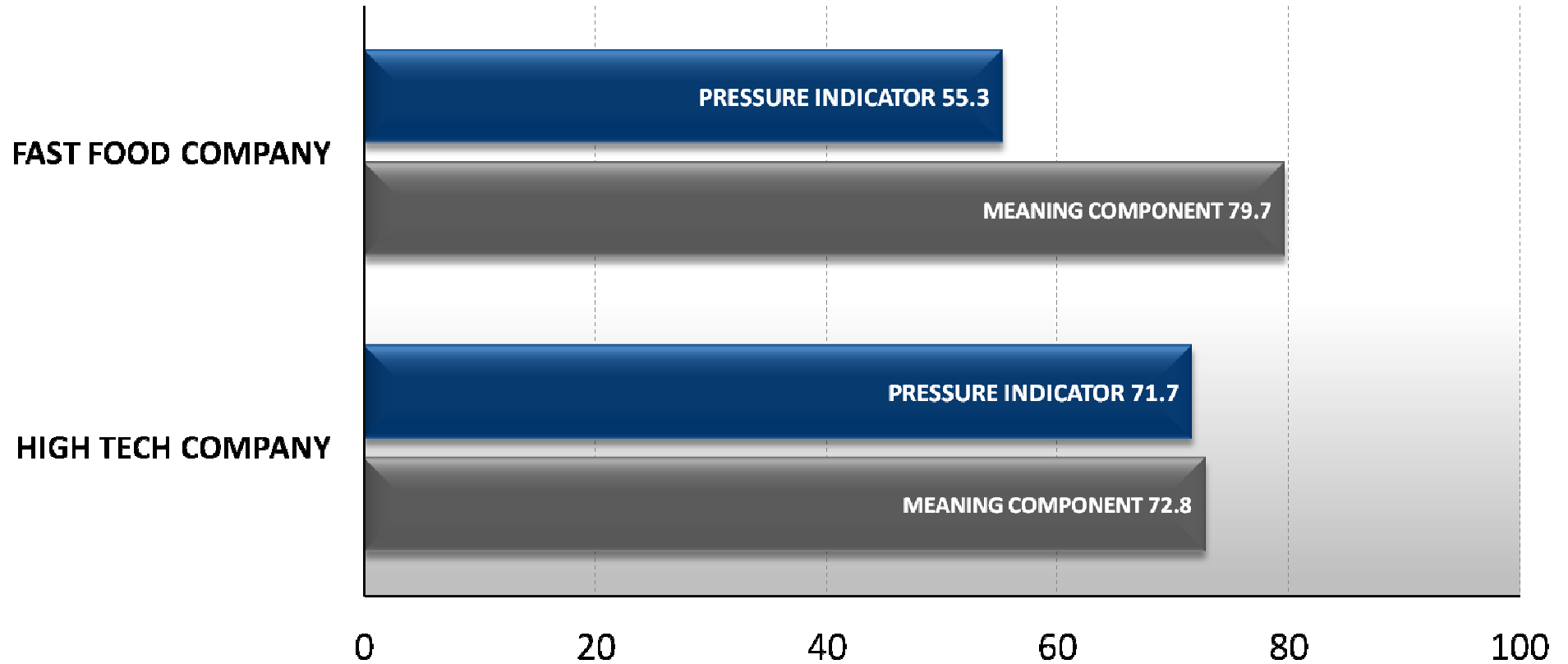
PRESSURE COMPARISONS – PRESSURE MEASUREMENT



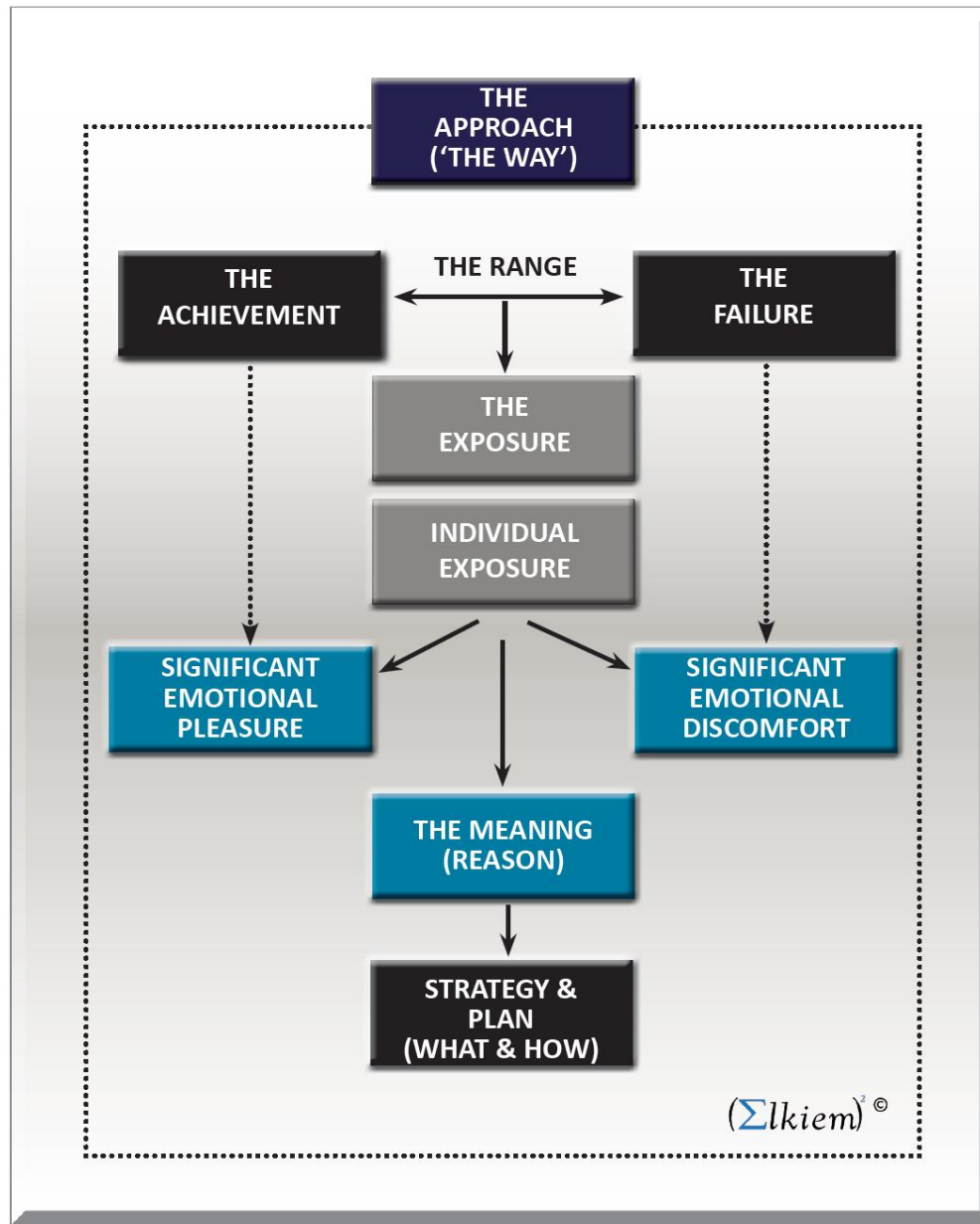
THE HIGH PERFORMANCE ENVIRONMENTAL STRUCTURE



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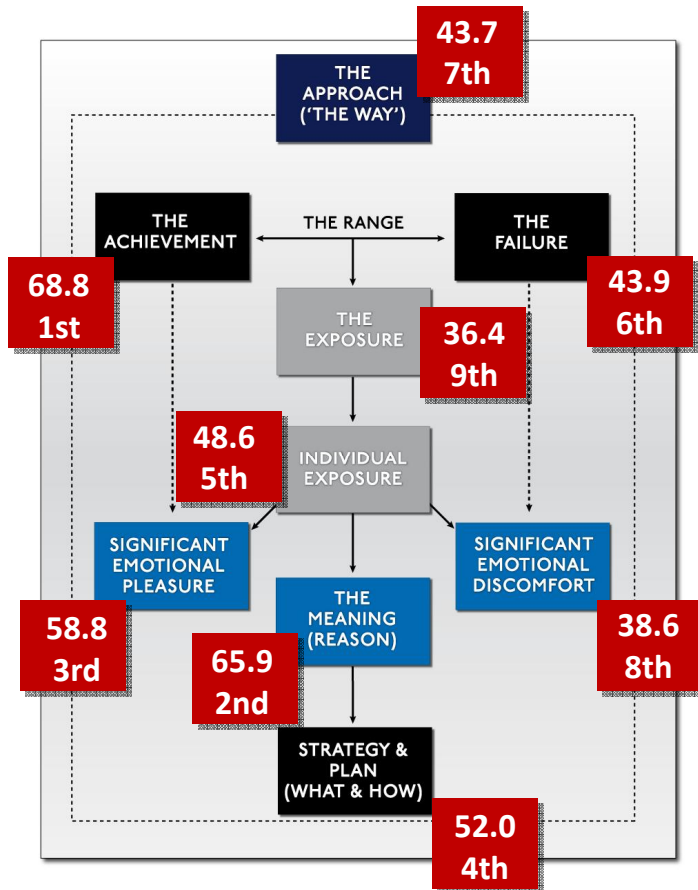


THE HIGH PERFORMANCE ENVIRONMENTAL STRUCTURE

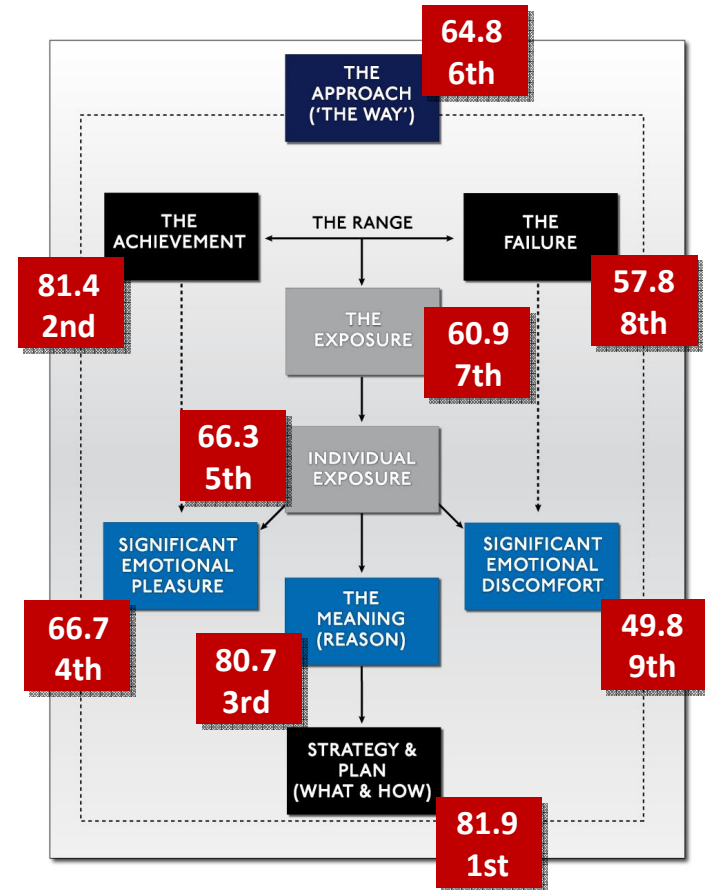


TWO MOVES EFFECT – PHARMACEUTICAL EXECUTIVE TEAM

CYCLE 1

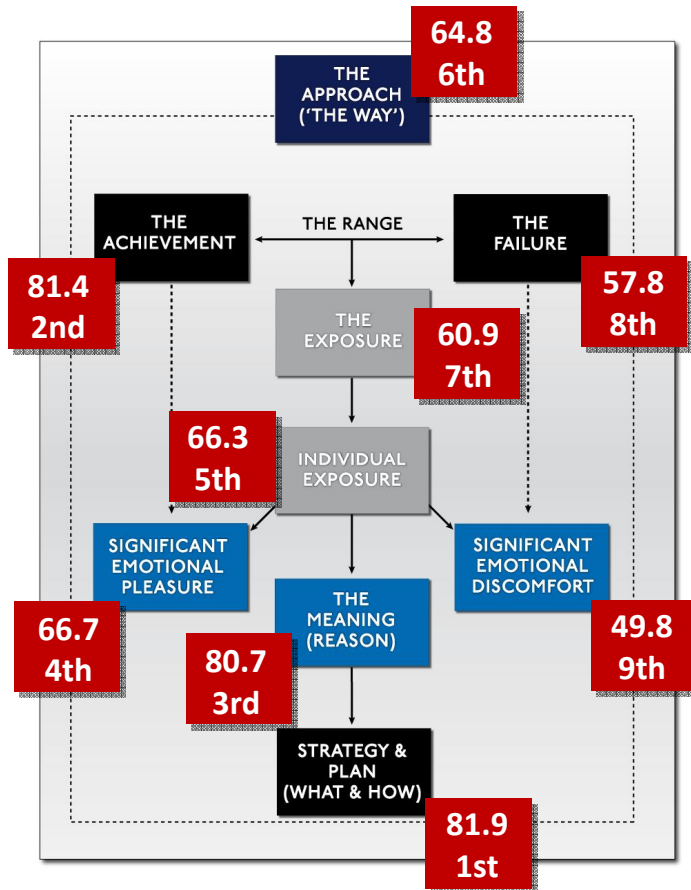


CYCLE 2

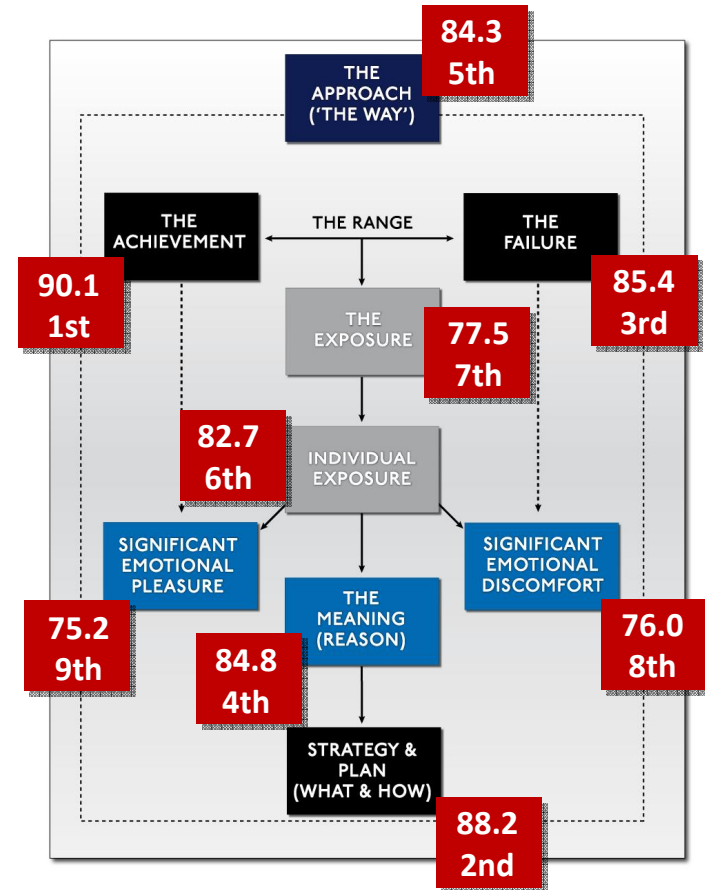


TWO MOVES EFFECT – CONTINUED

CYCLE 2

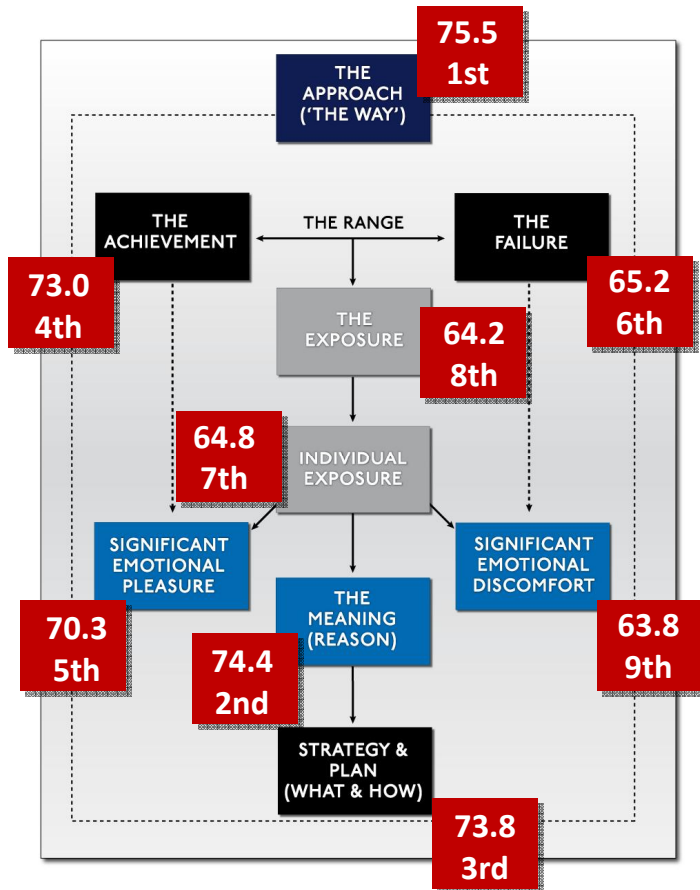


CYCLE 3

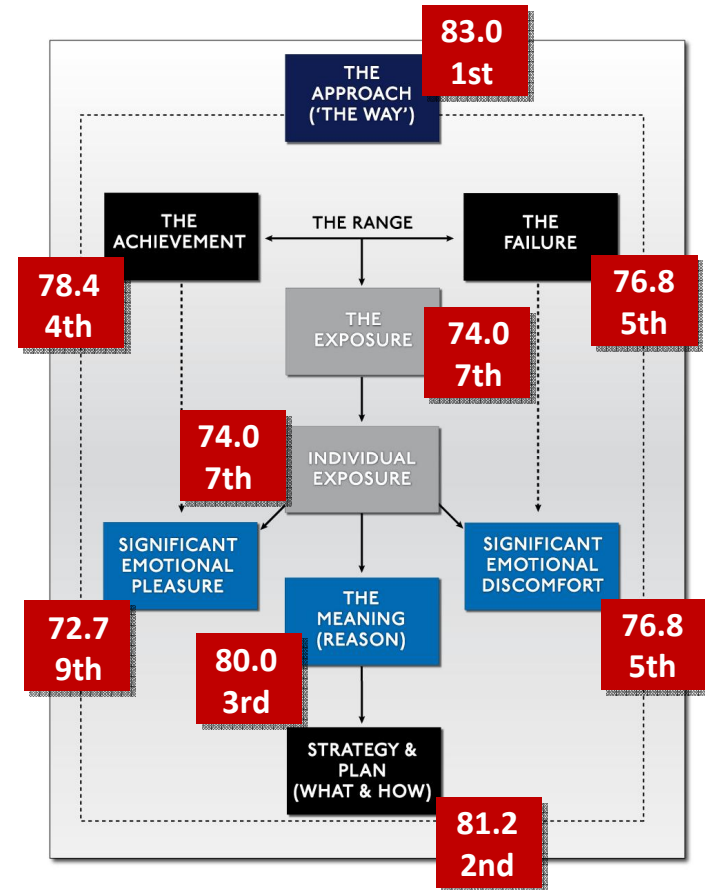


TWO MOVES EFFECT – FINANCIAL SERVICES WIDER LEADERSHIP TEAM

CYCLE 1



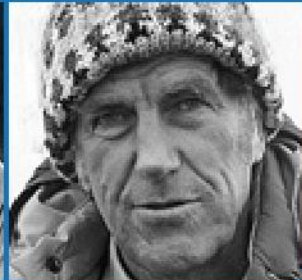
CYCLE 2



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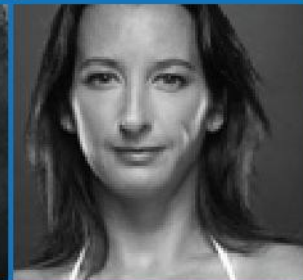


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(Σ)lkkiem²

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